

WORLD CONGRESS 2009

Evaluating the Effects of Border Zone Approximations with Subject Specific Ischemia Models

D.J. Swenson, J.G. Stinstra, B.M. Burton, K.K. Aras, L.J. Healy, and R.S. MacLeod University of Utah







Sunday, September 20, 2009

ISCHEMIA

- Ischemia is the lack of blood flow (oxygen)
- Action potentials reduce in amplitude
- Border zone injury current
- Projects to body surface, ECG
- ST segment elevation and depression indicates ischemia



ISCHEMIA

- Ischemia is the lack of blood flow (oxygen)
- Action potentials reduce in amplitude
- Border zone injury current
- Projects to body surface, ECG
- ST segment elevation and depression indicates ischemia



ISCHEMIA

- Ischemia is the lack of blood flow (oxygen)
- Action potentials reduce in amplitude
- Border zone injury current
- Projects to body surface, ECG
- ST segment elevation and depression indicates ischemia





MODELING ISCHEMIA

- Bidomain equations model
 ischemia
- Computational models validate current loops and potential distributions
- Poor correlation to clinical data

More geometric accuracy



BORDER ZONE

- Three regions: healthy myocardium, ischemic myocardium and border zone
- Border zone 3 mm or less
- Geometric primitives used as ischemic zones



Kalkulo

Kilpatrick



Hopenfeld





BORDER ZONE

- Create more physiologically accurate border zones
- No distinct boundary in needle data
- Sharp border between two homogeneous regions derived from infarct data
- Critical region in for injury currents







SUBJECT SPECIFIC MODEL









Experimental Data

Subject Specific Model





Compare Measured Data to Simulated Data







Sunday, September 20, 2009

EXPERIMENTAL DATA

- Ischemia induced in canine LAD
- 247 electrode sock and 450 plunge needle electrodes used to record data
- Registered to landmarks on the heart for alignment with the MRI
- Linear and volumetric
 Laplacian interpolation for the sock and needle data





MODEL CREATION

- MRI and DTI Scans
- Segmentation Seg3D software.sci.utah.edu
- Marching cubes isosurfacing and Tetgen meshing -SCIRun
- Mapped fiber orientations to mesh - SCIRun
- Ischemic zone from needle



- Bidomain equation we assume a transmembrane potential profile
- Conductivity from Stinstra et al
- Gaussian blurring of the edge for traditional distribution
- Explicitly modeled transition region for new distribution

 $\nabla \cdot (M_i + M_e) \nabla \phi_e = -\nabla \cdot M_i \nabla \phi_m$

	Healthy	Ischemic
Intracellular longitudinal conductivity	1	1
Intracellular transverse conductivity	.05	.05
Extracellular longitudinal conductivity	1	.5
Extracellular transverse conductivity	.333	.25



- Bidomain equation we assume a transmembrane potential profile
- Conductivity from Stinstra et al
- Gaussian blurring of the edge for traditional distribution
- Explicitly modeled transition region for new distribution

 $\nabla \cdot (M_i + M_e) \nabla \phi_e = -\nabla \cdot M_i \nabla \phi_m$

	Healthy	Ischemic
Intracellular longitudinal conductivity	1	1
Intracellular transverse conductivity	.05	.05
Extracellular longitudinal conductivity	1	.5
Extracellular transverse conductivity	.333	.25



- Bidomain equation we assume a transmembrane potential profile
- Conductivity from Stinstra et al
- Gaussian blurring of the edge for traditional distribution
- Explicitly modeled transition region for new distribution

 $\nabla \cdot (M_i + M_e) \nabla \phi_e = -\nabla \cdot M_i \nabla \phi_m$

	Healthy	Ischemic
Intracellular longitudinal conductivity	1	1
Intracellular transverse conductivity	.05	.05
Extracellular longitudinal conductivity	1	.5
Extracellular transverse conductivity	.333	.25



- Bidomain equation we assume a transmembrane potential profile
- Conductivity from Stinstra et al
- Gaussian blurring of the edge for traditional distribution
- Explicitly modeled transition region for new distribution

 $\nabla \cdot (M_i + M_e) \nabla \phi_e = -\nabla \cdot M_i \nabla \phi_m$

	Healthy	Ischemic
Intracellular longitudinal conductivity	1	1
Intracellular transverse conductivity	.05	.05
Extracellular longitudinal conductivity	1	.5
Extracellular transverse conductivity	.333	.25



- Bidomain equation we assume a transmembrane potential profile
- Conductivity from Stinstra et al
- Gaussian blurring of the edge for traditional distribution
- Explicitly modeled transition region for new distribution

 $\nabla \cdot (M_i + M_e) \nabla \phi_e = -\nabla \cdot M_i \nabla \phi_m$

	Healthy	Ischemic
Intracellular longitudinal conductivity	1	1
Intracellular transverse conductivity	.05	.05
Extracellular longitudinal conductivity	1	.5
Extracellular transverse conductivity	.333	.25



BORDER ZONE SENSITIVITY



BORDER ZONE SENSITIVITY

16

- Adjusted the variance of the Gaussian distribution
- Highly sensitive for border zones less then a variance of 2 ~ 3mm
- Sharper transitions produced more localized depressions





BORDER ZONE SENSITIVITY



Sunday, September 20, 2009

GRADIENT MAGNITUDE

- Unable to match the field gradients using the traditional model of a border zone
 Recorded
- Absence of a distinct ischemic border in the needle data
- The transition region created field gradient and magnitudes similar to those in the recorded data A.



CONCLUSIONS

- Border zone profile plays a significant role in the epicardial potentials distribution
- The border zone requires complex modeling
- Improved geometric representations of the border zone, adding a transition region, improves the simulation results







Sunday, September 20, 2009

CURRENT WORK

- Use transmural needles to quantify border zone profile
- Extend model to multiple species, including the role of fiber structure
- Improve registration techniques

QUESTIONS

D.J. Swenson, R.S. MacLeod darrell@sci.utah.edu University of Utah Cardio Vascular Research and Training Institute Scientific Computing and Imaging Institute